## WJEC England Biology A Level

## SP C2 06: Investigation of continuous variation in a species <br> Practical notes

## Introduction

Continuous variation produces characteristics which do not fall into discrete categories, instead showing a continuous range e.g. height, weight. It can be represented by a frequency histogram which forms an approximately normal curve.

The means of two polygenic characteristics which show continuous variation can be compared using Student's t-test (unpaired).

## Equipment

- Ruler
- 15 ivy leaves growing in bright conditions
- 15 ivy leaves growing in dark conditions

Risk assessment

| Hazard | Risk | Precaution | Emergency |
| :---: | :---: | :--- | :--- |
| Ivy leaves | Allergic <br> reaction | Use non-latex <br> disposable gloves | Run the affected area under cold <br> water; seek medical assistance |
| Berries | Poisonous | Do not ingest | Seek medical assistance |

## Method

1. Use a ruler to measure the maximum width of each leaf. Calculate the mean width of each sample of ivy leaves. Record your results in a suitable format.
2. Plot a frequency histogram for each data sample to confirm that the distribution is approximately normal.
3. Calculate each sample's standard deviation using:
$s=\sqrt{\frac{\sum(\mathrm{x}-\overline{\mathrm{x}})^{2}}{\mathrm{n}-1}}$
4. Use Student's t-test to determine whether there is a statistically significant difference between the means of the two samples:
a. Identify the null hypothesis
b. Calculate $t$
c. Work out the degrees of freedom
d. Find the critical value and test the significance

$$
t=\frac{\left|\overline{x_{1}}-\overline{x_{2}}\right|}{\sqrt{\left(\frac{s_{1}{ }^{2}}{n_{1}}\right)+\left(\frac{s_{2}{ }^{2}}{n_{2}}\right)}}
$$

where...
$\left|\overline{X_{1}}-\overline{X_{2}}\right|$ is the difference between the two mean values
$\mathrm{S}_{1}{ }^{2}$ and $\mathrm{S}_{2}{ }^{2}$ are the squares of the samples' standard deviations
$\mathrm{n}_{1}$ and $\mathrm{n}_{2}$ are the total number of readings in each sample

## Worked example

1. Use a ruler to measure the maximum width of each leaf. Calculate the mean width of each sample of ivy leaves. Record your results in a suitable format.

| Maximum width of ivy leaf (mm) |  |
| :---: | :---: |
| Bright conditions | Dark conditions |
| 8 | 18 |
| 8 | 16 |
| 10 | 15 |
| 9 | 17 |
| 11 | 17 |
| 7 | 20 |
| 9 | 21 |
| 10 | 19 |
| 10 | 17 |
| 10 | 18 |
| 12 | 18 |
| 9 | 18 |
| 11 | 16 |
| 11 | 18 |
| 10 | 19 |
| Mean 9.67 | Mean $=17.80$ |

2. Plot a frequency histogram for each data sample to confirm that the distribution is approximately normal.


3. Callculate each sample's standard deviation

| Leaves growing in <br> bright conditions (1) | Width (mm) | $(x-\overline{\mathbf{x}})$ | $(x-\overline{\mathrm{x}})^{2}$ |
| :---: | :---: | :---: | :---: |
| 1 | 8 | -1.67 | 2.7889 |
| 2 | 8 | -1.67 | 2.7889 |
| 3 | 10 | 0.33 | 0.1089 |
| 4 | 9 | -0.67 | 0.4489 |
| 5 | 11 | 1.33 | 1.7689 |
| 6 | 7 | -2.67 | 7.1289 |
| 7 | 9 | -0.67 | 0.4489 |
| 8 | 10 | 0.33 | 0.1089 |
| 9 | 10 | 0.33 | 0.1089 |
| 10 | 10 | 0.33 | 0.1089 |
| 11 | 12 | 2.33 | 5.4289 |
| 12 | 9 | -0.67 | 0.4489 |
| 13 | 11 | 1.33 | 1.7689 |
| 14 | 10 | 1.33 | 1.7689 |
| 15 | 9.67 | 0.33 | 0.1089 |
| Mean |  |  | $\sum=25.3335$ |

$s_{1}=\sqrt{\frac{\sum(x-\bar{x})^{2}}{n-1}}=\sqrt{\frac{25.3335}{14}}=1.35$

| Leaves growing in <br> dark conditions (2) | Width (mm) | $(x-\overline{\mathrm{x}})$ | $(\mathrm{x}-\overline{\mathrm{x}})^{2}$ |
| :---: | :---: | :---: | :---: |
| 1 | 18 | 0.2 | 0.04 |
| 2 | 16 | -1.8 | 3.24 |
| 3 | 15 | -2.8 | 7.84 |
| 4 | 17 | -0.8 | 0.64 |
| 5 | 17 | 0.8 | 0.64 |
| 6 | 20 | 2.2 | 4.84 |
| 7 | 21 | 3.2 | 10.24 |
| 8 | 19 | 1.2 | 1.44 |
| 9 | 17 | -0.8 | 0.64 |
| 10 | 18 | 0.2 | 0.04 |
| 11 | 18 | 0.2 | 0.04 |
| 12 | 18 | 0.2 | 0.04 |
| 13 | 16 | -1.8 | 3.24 |
| 14 | 18 | 0.2 | 0.04 |
| 15 | 19 | 1.2 | 1.44 |
| Mean | 17.80 |  | $\Sigma=34.40$ |

$s_{2}=\sqrt{\frac{\sum(x-\bar{x})^{2}}{n-1}}=\sqrt{\frac{34.4}{14}}=1.57$

## 4. a. Identify the null hypothesis

$\mathrm{H}_{0}$ - there is no statistically significant difference between the mean width of ivy leaves growing in bright conditions and the mean width of ivy leaves growing in dark conditions
b. Calculate t

$$
t=\frac{\left|\overline{X_{1}}-\overline{X_{2}}\right|}{\sqrt{\left(\frac{\mathrm{s}_{1}^{2}}{\mathrm{n}_{1}}\right)+\left(\frac{\mathrm{s}_{2}^{2}}{\mathrm{n}_{2}}\right)}}=\frac{8.13}{\sqrt{\left(\frac{1.8225}{15}\right)+\left(\frac{2.4649}{15}\right)}}=15.20
$$

c. Work out the degrees of freedom (df $=n_{1}+n_{2}-2$ )
$\mathrm{df}=15+15-2=28$
d. Find the critical value and test the significance

Probability of 0.05 , df of 28 , critical value for $\mathrm{X}^{2}=2.048$

### 15.200 > 2.048

The null hypothesis is rejected.

There is a statistically significant difference between the mean width of ivy leaves growing in bright conditions and the mean width of ivy leaves growing in dark conditions.

